

Holidays Homework

CLASS - 12th NM

English

Prepare all these in a A4 size sheet and compile them in a file.

Q.1 Write **Notices** on the following occasions (three of each category).

- a. Tours
- b. Sports
- c. Cultural/Extra-curricular activities
- d. Lost & Found
- e. Appeals

Q.2. Write **Formal letters** on the following topics (Two of each category).

- a. Complaint
- b. Editor
- c. Placing order
- d. Enquiry
- e. Job Application

Q.3 Write **Articles** on the following topics (Do no any 2 topics).

- a. My vision of future India
- b. Digital education in India
- c. Women safety in India
- d. 50-years of Earth Day

Q.4 Read all the poems and Write down their Poetic Devices, Summary and Theme.

Hope you all have a great holiday and make sure to keep yourself safe. 🍷 😊 🍷

Physical Education

Q- Draw a fixture of 11 volleyball teams on knockout basis?

Q- Draw a fixture of 24 teams.

Q- Draw a fixture of 6 teams on league basis following the cyclic method.

Q- Draw a fixture of 9 teams on league basis following the staircase method.

Q- Draw a fixture of 7 teams on league basis following the tabular method.

Q- Explain any deformities and corrective measures of them.

Q- write short note on Female Athlete Triad.

Q- Anyone one IOA recognized sports/Game of choice. Labelled diagram of field and equipment

Physics

Q1. Two identical circular wires P and Q each of radius R and carrying current ' I ' are kept in perpendicular planes such that they have a common centre as shown in the figure. Find the magnitude and direction of the net magnetic field at the common centre of the two coils

Q2. A particle of mass 10^{-3} kg and charge 5 pC enters into a uniform electric field of 2×10^5 NC $^{-1}$, moving with a velocity of 20 ms $^{-1}$ in a direction opposite to that of the field. Calculate the distance it would travel before coming to rest.

Q3. A steady current (I_1) flows through a long straight wire. Another wire carrying steady current (I_2) in the same direction is kept close and parallel to the first wire. Show with the help of a diagram how the magnetic field due to the current I_1 exerts a magnetic force on the second wire. Write the expression for this force.

Q4.) Two point charges $q_A = 3 \mu\text{C}$ and $q_B = 3 \mu\text{C}$ are located 20 cm apart in a vacuum. (i) What is the electric field at the midpoint O of the line AB joining the two charges? (ii) If a negative test charge of magnitude 1.5×10^{-9} C is placed at this point, what is the force experienced by the test charge?

Q5. Consider a uniform electric field $E = 3 \times 10^3 \hat{i}$ N/C. (a) What is the flux of this field through a square of 10 cm on a side whose plane is parallel to the $y-z$ plane? (b) What is the flux through the same square if the normal to its plane makes a 60° angle with the x -axis?

Q6. A spherical conductor of radius 12 cm has a charge of 1.6×10^{-7} C distributed uniformly on its surface. What is the electric field (1) inside the sphere? (2) just outside the sphere? (3) at a point 18 cm from the centre of the sphere?

Q7. Derive formula of capacitance for parallel plate capacitor.

Q8. Explain Wheatstone bridge and derive its balance condition.

Q9. Derive an expression for the resistivity of a good conductor, in terms of the relaxation time of electrons

Q10. An ammeter of resistance 1 can measure current up to 1.0 A (i) What must be the value of the shunt resistance to enable the ammeter to measure up to 5.0 (A)? (ii) What is the combined resistance of the ammeter and the shunt?

ASSIGNMET MATHEMATICS

1. Let $f : \mathbb{N} \rightarrow \mathbb{R}$ be a function defined by $f(x) = 4x^2 + 12x + 15$

Show that $f : \mathbb{N} \rightarrow S$ Where S is range of f , is bijective function.

2. Show that the relation S in the set $A = \{x \in \mathbb{Z} : 0 \leq x \leq 12\}$ given by

$S = \{(a, b) : a, b \in \mathbb{Z}, |a - b| \text{ is divisible by } 4\}$ is an equivalence relation. Find the set of all elements related to 1. Also write equivalence class $[2]$.

3. Prove the following: $-\cos[\tan^{-1} \sin(\cot^{-1} x)] = \sqrt{\frac{1+x^2}{2+x^2}}$

4. Evaluate $\cos^{-1}\left(\cos^2 \frac{\pi}{3}\right) + \sin^{-1}\left(\sin^2 \frac{\pi}{6}\right)$

5. The principal value of $\cos^{-1}(\cos(-\frac{34\pi}{9}))$ is

6. If $\begin{bmatrix} 9 & -1 & 4 \\ -2 & 1 & 3 \end{bmatrix} = A + \begin{bmatrix} 1 & 2 & -1 \\ 0 & 4 & 9 \end{bmatrix}$ then find the matrix A .

7. If $A = \begin{bmatrix} 1 & 2 & 2 \\ 2 & 1 & 2 \\ 2 & 2 & 1 \end{bmatrix}$, Verify that $A^2 - 4A - 5I = O$

8. Three schools X, Y and Z organized a fete (mela) for collecting funds for flood victims in which they sold hand held fans, mats and toys made from recycled material, the sale price of each being Rs. 25, Rs. 100 and Rs. 50 respectively. The following table shows the number of articles of each type sold

Articles/School	X	Y	Z
Hand – held fans	30	40	35
Mats	12	15	20
Toys	70	55	75

Using matrices. Find the funds collected by each school by selling the above articles and the total funds collected. Also write any one value generated by the above situation.

9. For what value of x , the matrix $\begin{bmatrix} 5-x & x+1 \\ 2 & 4 \end{bmatrix}$ is singular.

10. Show that the matrix $A = \begin{bmatrix} 3 & 1 \\ -1 & 2 \end{bmatrix}$ satisfies the equation $A^2 - 5A + 7I = O$. Hence Find A^{-1}

11. Two schools P and Q want to award their selected students on the values of discipline, politeness and punctuality. The school P wants to award ₹ x each, ₹ y each & ₹ z each for the three respective values to its 3, 2 and 1 students with a total award money of ₹ 1,000. School Q wants to spend ₹ 1500 to award its 4, 1 and 3 students on the respective values (by giving the same award money for the three values as before). If the total amount of awards for one prize on each value is ₹ 600, using matrices, find the award money for each value. Apart from the above three values suggest one more value for awards.

12. Use product $\begin{bmatrix} 1 & -1 & 2 \\ 0 & 2 & -3 \\ 3 & -2 & 4 \end{bmatrix} \begin{bmatrix} -2 & 0 & 1 \\ 9 & 2 & -3 \\ 6 & 1 & -2 \end{bmatrix}$ to solve the system of equation

$$x - y + 2z = 1, 2y - 3z = 1, 3x - 2y + 4z = 2$$

13. If $f(x)$ is continuous at $x=0$ find the value of a , b and c , $f(x) = \begin{cases} \frac{\sin(a+1)x + \sin x}{x}, & \text{if } x < 0 \\ c, & \text{if } x = 0 \\ \frac{\sqrt{x+bx^2} - \sqrt{x}}{bx^{\frac{3}{2}}}, & \text{if } x > 0 \end{cases}$

14. Differentiate $\tan^{-1} \left(\frac{\sqrt{1+x^2} - \sqrt{1-x^2}}{\sqrt{1+x^2} + \sqrt{1-x^2}} \right)$ w.r.t $\cos^{-1}x^2$

15. If $y = \operatorname{Cosec}^{-1}x$, $x > 1$ then show that $x(x^2 - 1) \frac{d^2y}{dx^2} + (2x^2 - 1) \frac{dy}{dx} = 0$

16. If $x = a(\cos t + t \sin t)$ and $y = a(\sin t - t \cos t)$, $0 < t < \frac{\pi}{2}$. Find $\frac{d^2x}{dt^2}$, $\frac{d^2y}{dx^2}$ and $\frac{d^2y}{dt^2}$

17. Sand is pouring from a pipe at the rate of $12\text{cm}^3/\text{sec}$. The falling sand forms a cone on the ground in such a way that the height of the cone is always one sixth of the radius of the base. How fast is the height of the sand-cone increasing when the height is 4cm.

18. Find the values of x for which $f(x) = [x(x-2)]^2$ is an increasing function. Also find the points on the curve, where the tangent is parallel to the x -axis.

19. An open tank with a square base and vertical sides is to be constructed from a metal sheet so as to hold a given quantity of water. Show that the cost of the material will be the least when the depth of the tank is half of its width.

20. A window has the shape of a rectangle surmounted by an equilateral triangle. If the perimeter of the window is 12m, find the dimensions of the rectangle that will produce the largest area of the window.